

SSC Quantitative Aptitude Solutions

$$101. \quad \frac{1}{3} \left[\left(1 - \frac{1}{4} \right) + \left(\frac{1}{4} - \frac{1}{7} \right) + \left(\frac{1}{7} - \frac{1}{10} \right) + \left(\frac{1}{10} - \frac{1}{13} \right) + \left(\frac{1}{13} - \frac{1}{16} \right) \right]$$

$$= \frac{1}{3} \left[1 - \frac{1}{16} \right] = \frac{1}{3} \left[\frac{15}{16} \right] = \frac{5}{16}$$

$$102. \quad \frac{\frac{1}{5} + 999 \times 99 + \frac{494}{495} \times 99}{4}$$

$$= \frac{\frac{1}{5} + (1000 - 1) \times 99 + \frac{494}{5}}{4} = \frac{\frac{494}{5} + (99000 - 99)}{4}$$

$$= \frac{99000}{4} \Rightarrow 24750$$

$$103. \quad = \left(2 - \frac{1}{3} \right) \left(2 - \frac{3}{5} \right) \left(2 - \frac{5}{7} \right) \dots \left(2 - \frac{997}{999} \right)$$

$$= \frac{5}{3} \times \frac{7}{5} \times \frac{9}{7} \times \dots \times \frac{1001}{999} = \frac{1001}{3}$$

$$104. \quad = \frac{m+n}{m-n} = \frac{\frac{m}{n} + 1}{\frac{m}{n} - 1} \Rightarrow \frac{14+1}{14-1} \Rightarrow \frac{15}{13} \Rightarrow 1\frac{2}{13}$$

$$105. \quad n = 12 + 1 = 13$$

Initial average, a = 17kg

Last average, b = 17 - 2 = 15 kg

$$\begin{aligned}\text{Weight of class teacher} &= 13(17-15) + 15 \\ &= 13 \times 2 + 15 \\ &= 14 \text{ Kg}\end{aligned}$$

106. $P = a \text{ km/h}; Q = 25 \text{ km}; R = 30 \text{ km}$

$$x = 3 \text{ km/h}; Y = 5 \text{ km/hr}; Z = 10 \text{ km/h}$$

\therefore Required average speed

$$= \frac{P+Q+R}{\frac{P}{x} + \frac{Q}{y} + \frac{R}{x}} \Rightarrow \frac{9+25+30}{\frac{9}{3} + \frac{25}{5} + \frac{30}{10}}$$

$$= \frac{64}{11} \Rightarrow 5\frac{9}{11} \text{ km/h}$$

107. Sum of 4 integers = 73.5×4

$$= 294$$

$$\text{Sum of remaining two integers} = 294 - (108 + 29) = 157$$

$$\text{if remaining two integers be } x \text{ and } y, \text{ then } x + y = 157$$

$$\text{and, } x - y = 15$$

$$\text{Solving these equations, } x = 86; y = 71$$

$$\text{Small integer} = 71.$$

108. $\frac{a}{3} = \frac{b}{5} = \frac{c}{7} = k$

$$\frac{a+b+c}{b} = \frac{(3+5+7)k}{5k} = \frac{15}{5} = 3$$

109. 1st number = x

$$\text{2nd number} = y$$

$$70\% \text{ of } x = y \times \frac{3}{5}$$

$$\Rightarrow \frac{x \times 70}{100} = y \times \frac{3}{5}$$

$$\Rightarrow \frac{x}{y} = \frac{3}{5} \times \frac{10}{7} \Rightarrow \frac{6}{7}$$

$$x:y = 6:7$$

110. Fixed amount be Rs. x

Cost of each unit be Rs. y

$$540y + x = 1800 - (i)$$

$$620 + x = 2040 - (ii)$$

on solving (i) and (ii) we get, $x = 180$, $y = 3$ now, for 500 units $\Rightarrow (180 + 500 \times 3) = \text{Rs. } 1680$.

111. Net effect = $\left[-12 - 4 + \frac{(-12)(-4)}{100} \right] \%$
 $= -15.52\%$

112 - 116. Let the number of magazine – readers in city P be x Then,

$$(100 - 75)\% \text{ of } x = 6000$$

$$\Rightarrow \frac{25}{100} x = 6000 \Rightarrow x = 24000$$

No. of readers in P, reading only one magazine a week = $(24000 - 6000)$

$$\Rightarrow 18000$$

similarly find all the values, thus we have the table.

City	No. of Magazine Readers	No. of Readers Reading only one Magazine a week
P	24000	18000
Q	17500	14000
R	7500	4500
S	6000	3300
T	5600	1400

112. The lowest number of magazine - readers is 5600, i.e; City T.

113. The heighest number of Magazine - readers who read only one Magazine a week is 18000, i.e; City P.

114. Highest number of Magazine readers is 24000.

115. Readers in City Q is 14000 (only 1 in week)

116. Totla no. of readers reading only 1 in a week. $\Rightarrow 41200$

117. Original Price be. Rs.x

$$\therefore (100 - r) \% \text{ of } (100 + r) \% \text{ of } x = 1$$

$$\Rightarrow \frac{(100-r)}{100} \times \frac{(100+r)}{100} \times x = 1 \Rightarrow x = \frac{10000}{(10000-r^2)}$$

118. $\Rightarrow P = \frac{140}{100} \times A = \frac{140}{100} \left(\frac{180}{100} M \right) = \left(\frac{140}{100} \times \frac{80}{100} \times 100 \right) \% \text{ of } M \Rightarrow 112\% \text{ of } M$

119. $(x^m + a^m)$ is divisible by $(x + a)$ when M is odd

$$\therefore \text{Common factor} = (41 + 43)$$

120. Original number be $10x + y$

$$\text{given, } (10y + x) - (10x + y) = 27$$

$$\text{and } x + y = 3 - (1)$$

Now, $9y - 9x = 27 - (2)$

Solving (1)..(2) we get, $x = 5, y = 8$

\therefore Required number = 58.

121. The number 6×2 must be divisible by 8.

$\therefore x = 3$, as 632 is divisible by 8.

122. Required numbers are 102, 108, 114,... 996

They are in A.P. $a = 102, d = 6, l = 996$

let number of terms be n , then,

$$A + (n - 1) d = 996$$

$$\therefore n = 150$$

123. By hit and trail, we put $x = 5$ and $y = 1$ so that $(3x + 7y)$ is divisible by 11.

by substituting values of x and y in options we get only

$(4x - 9y)$ divisible by 11.

124. Largest size of the tail is HCF of 378 and 525 Cm = 21Cm

125. Required number = HCF of $(1356-12)$, $(1868-12)$ and $(2764-12)$

126. LCM of 252, 308, and 198 = 2772.

They will meet at starting point in 2772 sec, i.e. 46 min 12 sec.

127. $a^4 - b^4 = (a + b)(a - b)(a^2 + b^2)$, a and b are odd +ve integers. if two +ve integers are odd, then their sum, difference and sum of their squares is even.

$\therefore (a - b)(a + b)(a^2 + b^2)$ is always divisible by $(2)^3 = 8$

128. $(6x^2 + 6x) = 6x(x + 1)$ which is clearly divisible by 6 and 12 as $x(x + 1)$ is even

129. Required number = HCF of 400 and 360 = 40

$$130. \left(\sqrt{x} + \frac{1}{\sqrt{x}} \right)^2 = x = \frac{1}{x} + 2 = 2 + 2 = 4$$

$$\therefore \left(\sqrt{x} + \frac{1}{\sqrt{x}} \right) = 2$$

131. Distance between Raipur and somgarh = Average Speed \times time

$$\frac{69 \times 35}{60} \text{ km} \Rightarrow \frac{161}{4} \text{ km}$$

$$\text{New Speed} = (69 + 36) \text{ km/h} = 105 \text{ km/h}$$

$$\text{Time} = \frac{\text{distance}}{\text{speed}} = \frac{161}{4 \times 105} \text{ km/h} \Rightarrow 23 \text{ min}$$

132. Let average after 11th innings = x.

$$\text{Then, } 11x + 90 = 12(x - 5) \quad x = 150$$

\therefore Average after 12th innings

$$\Rightarrow (x - 5) = 145$$

133. When n is even, $(x^n - a^n)$ is completely divisible by $(x + a)$.

$\therefore (17^{200} - 1^{200})$ is divisible by 18.

$\therefore 17^{200}$ is divided by 18, we get remainder as 1

134. Sum of temperatures on 1st, 2nd, 3rd, 4th days = $(58 \times 4) = 232$ degree – (i)

Sum of temperatures in 2nd, 3rd, 4th, 5th days = $(60 \times 4) = 240$ degree – (ii)

(ii)–(i) we get,

Temp. On 5th day – Temp. on 1st day = 8 degree

let the temperature on 1st and 5th days be 7x and 8x degree

$$8x - 7x = 8 \Rightarrow x = 8$$

\therefore Temp on 5th day = 64 degree

135. $\log_{10} 80 = \log_{10} (8 \times 10) = \log_{10} 8 + \log_{10} 10 \Rightarrow 3 \log_{10} 2 + 1 = 3(0.3010) + 1$
 $= 1.9030$

136. $\log \frac{a}{b} + \log \frac{b}{a} = \log(a + b)$
 $\Rightarrow \log(a + b) = \log\left(\frac{a}{b} \times \frac{b}{a}\right) = \log 1$
 $\Rightarrow a + b = 1$

137. Series pattern
 $+13, +26, +39, +52, +65$
 \therefore Missing term = $132 + 65 = 197$

138. Series Pattern,
 $22 + 1^2 = 22 + 1 = 23$
 $23 + 2^2 = 23 + 4 = 27$
 $27 + 3^2 = 27 + 9 = 36$
 $36 + 4^2 = 36 + 16 = 52$
 Should come in place of 58
 $52 + 5^2 = 52 + 25 = 77$

139. Let no. of correct answers is x
 no. of wrong answers is y then,
 $4x - y = 200 - (1)$
 $x + y = 200 - (2)$
 Solving (1) and (2), $x = 80$

140. Given equations are,
 $6x + 3y = 7xy$

and, $3x + 9y = 11xy$

Solving (1) and (2), $x = 1$ and $y = 3/2$

141. Here, — —

to have infinitely many solutions,

$$\frac{a_1}{a_2} = \frac{b_1}{b_2} = \frac{c_1}{c_2}$$

$$\text{so, } \frac{k}{12} = \frac{3}{k} = \frac{k-3}{k}$$

$$\frac{k}{12} = \frac{3}{k} \Rightarrow k = \pm 6$$

$$\frac{3}{k} = \frac{k-3}{k} \Rightarrow k = 6$$

$$\therefore k = 6$$

142. $x^2 - 3x + 1 = 0$

$$x^2 + 1 = 3x$$

$$\frac{x^2 + 1}{x} = 3$$

$$\frac{x^2}{x} + \frac{1}{x} = 3 \Rightarrow x + \frac{1}{x} = 3$$